



## Maths Y11 Curriculum Overview





## Key Stage 4 Curriculum Journey: Maths Year 11

	Week 1								Week 39
F C/O H	Unit 8 Transformations and Constructions	Unit 9 Probability	Unit 10 Multiplicative Reasoning	Unit 11 F: Quadratic Equations and Graphs. H: Similarity and Conaruence	Unit 12 F: Similarity, Congruence and Vectors H: Further Triaonometry	Unit 13 F: More Algebra H: Circle Theorems	Unit 14 H: Further Algebra	Unit 15 Vectors	Unit 16 H: Proportion and Graphs
Key content (know thatKnow how)	Draw a reflection of a shape in a mirror line Enlarge a shape given a scale factor Recognise 3D shapes and their properties Draw nets of 3D solids Translate a shape and describe a translation on a coordinate grid using a vector Reflect a shape and describe a reflection on coordinate grid Rotate a shape and describe a reflection on a coordinate grid Rotate a shape and describe rotation on a coordinate grid Enlarge a shape through a centre of enlargement Describe an enlargement Transform shapes using more than one transformation	Calculate simple probabilities use two-way tables to record outcomes from two events Compare probabilities Apply systematic listings Find probabilities of mutually exclusive events Draw and interpret sample space diagrams Work out expected results based on theoretical probability Interpret probabilities based on experimental data Draw and interpret frequency trees Use Venn diagrams to work out probability Use the language of sets when	Use the unitary method to solve proportion problems Calculate best buys Recognise and use direct proportion on a graph Solve word problems involving direct proportion Solve word problems involving inverse proportion Solve problems involving compound measures (e.g. speed, density, pressure) Use kinematics formulae Convert between metric speed measures Link proportion relationships to ratio	F: plot and interpret graphs and graphs of non-standard functions in real contexts to find approximate solutions to problems such as simple kinematic problems involving distance, speed and acceleration Solve quadratics algebraically F: simplify and manipulate algebraic expressions by expanding products of two binomials simplify and manipulate algebraic expressions by factorising quadratic expressions of the form x2 + bx + c, including the difference of two squares	F: Describe translations as 2D vectors Identify, describe and construct congruent and similar shapes, including on coordinate axes, by considering rotation, reflection, translation and enlargement. express a multiplicative relationship between two quantities as a ratio or a fraction Compare lengths, areas and volumes using ratio notation F: Make links to similarity (including trigonometric ratios) and scale factors Use the basic congruence criteria for	F: Order positive and negative integers, decimals and fractions; use the symbols =, $\neq$ , <, >, $\leq$ , $\geq$ understand and use the concepts and vocabulary of expressions, equations, formulae, identities, inequalities, terms and factors Understand and use standard mathematical formulae. Rearrange formulae to change the subject F: Provide arguments to show mathematically to show algebraic expressions are equivalent, and use algebra to support and construct arguments use the form y = mx + c to identify parallel lines; find	Simplify algebraic fractions. Multiply and divide algebraic fractions. Solve quadratic equations arising from algebraic fraction equations. Change the subject of a formula where all variables are in the denominators. Solve 'Show that' and proof questions using consecutive integers (n, n + 1), squares a2, b2, even numbers 2n, odd numbers 2n +1; Use function notation. Find f(x) + g(x) and f(x) – g(x), 2f(x), f(3x) etc algebraically. Find the inverse of a linear function. Know that f^ –1(x) refers to the inverse function. For two functions f(x) and g(x), find gf(x). find approximate solutions to	Addition and subtraction of vectors. Multiplication of vectors by a scalar. Diagrammatic and column representations of vectors. Use vectors to construct geometric arguments and proof Understand and use vector notation, including column notation, and understand and interpret vectors as displacement in the plane with an associated direction. Find the length of a vector using Pythagoras' Theorem. Solve geometric problems in 2D where vectors are divided in a given ratio.	Recognise, sketch and interpret graphs of the reciprocal function and State the value of x for which the equation is not defined. Recognise, sketch and interpret graphs of exponential functions. Use calculators to explore exponential growth and decay and set up, solve and interpret the answers in growth and decay problems. "Interpret and analyse transformations of graphs of functions and write the functions algebraically: write the equation of f(x) + a, or f(x - a). " Apply to the graph of y = f(x) the transformations y = -f(x), y = f(-x) for



Describe	interpreting Venn	problems	identify and	triangles (SSS,	the equation of the	equations	Understand that 2a	linear, quadratic,
combined	diagrams	involving direct	interpret roots,	SAS, ASA, RHS)	line through two	numerically using	is parallel to a and	cubic functions;
transformations	Draw and	proportion	intercepts,	apply angle facts,	given points, or	iteration	twice its length,	apply to the graph
Interpret and	interpret tree	Write and use	turning points of	triangle	through one point		and that a is	of $v = f(x)$ the
draw plans and	diagrams for	equations to solve	quadratic	congruence.	with a given		parallel to –a in the	transformations v =
elevations of 3D	independent	nrohlems	functions	similarity and	gradient		opposite direction	f(x) + a y = f(x + a)
shapes	events	involving inverse	graphically	properties of	A10 identify and		Produce	f(x) + u, y = f(x + u)
Draw and	Draw and	nroportion	Pocognico, skotch	guadrilatorals to	interpret gradients		accompatrical proofs	ostimate gradients
interpret scale	interpret tree	Proportion Recognise graphs	and interpret	quadrilaterais to	and intercents of		to provo points are	of graphs and areas
interpret scale	interpret tree	Recognise graphs	and interpret	conjecture and	and intercepts of		to prove points are	or graphs and areas
diagrams	diagrams for	snowing inverse	graphs of	derive results	linear functions		collinear and	under graphs
Bisect lines and	dependent events	proportion	quadratic	about angles and	graphically and		vectors/lines are	(including quadratic
angles using a			functions	sides, including	algebraically		parallel.	and other non-
ruler and a	Use the product		plot and interpret	the fact that the	solve two			linear graphs) and
compass	rule for finding		reciprocal graphs	base angles of an	simultaneous			interpret results in
Construct	the number of		solve quadratic	isosceles triangle	equations in two			cases such
perpendiculars	outcomes for two		equations	are equal, and	variables			distance-time
through a point on	or more events		algebraically by	use known	(linear/linear)			graphs, velocity–
a line and from a	Solve more		factorising; find	results to obtain	algebraically; find			time graphs and
point to a line	complex problems		approximate	simple proofs	approximate			graphs in financial
Construct	involving		solutions using a	Calculate:	solutions using a			contexts (this does
triangles given	conditional		graph	surface area and	graph			not include calculus)
SSS. ASA. SAS etc	probability		0 1	volume of	translate simple			Interpret the
Draw and identify	Solve algebraic		H: Make links to	spheres.	situations or			gradient of non-
regions bound by	nrobability		similarity	nyramids cones	procedures into			linear granh in
loci to solve	problems		lincluding	and composite	algebraic			curved distance-
practical problems	problems		trigonometric	solids to allow	expressions or			time and velocity-
Find and use			ratios) and scale	application of	formulae: derive an			time graphs:
hoarings			factors	application of	ionnulae, derive an			time graphs.
Dearings				congruence and	equation (or two			FOI a non-linear
Use angles in			Use the basic	similarity.	simultaneous			distance–time
parallel lines to			congruence	Apply the	equations), solve			graph, estimate the
solve problems			criteria for	concepts of	the equation(s) and			speed at one point
involving bearings			triangles (SSS,	congruence and	interpret the			in time, from the
Enlarge a shape			SAS, ASA, RHS)	similarity	solution.			tangent, and the
through a centre			apply angle facts,	between lengths	solve problems			average speed over
of enlargement			triangle	in similar figures	involving direct and			several seconds by
with a negative			congruence,	Identify, describe	inverse proportion,			finding the gradient
scale factor			similarity and	and construct	including graphical			of the chord;
			properties of	congruent and	and algebraic			For a non-linear
Interpret			quadrilaterals to	similar shapes,	representations			velocity-time graph,
invarience in			conjecture and	including on	recognise and			estimate the
transformations			derive results	coordinate axes,	interpret graphs			acceleration at one
problems			about angles and	by considering	that illustrate direct			point in time, from
Apply Pythagoras			sides, including	rotation.	and inverse			the tangent, and the
and trigonometry			the fact that the	reflection.	proportion			average
and theorionicity			hase angles of an	translation and	P. CPOILION			acceleration over
			and angles of all	consideration and	1	1	i i	



to bearing problems		isosceles triangle are equal, and use known results to obtain simple proofs Calculate: surface area and volume of spheres, pyramids, cones and composite solids to allow application of congruence and similarity. Apply the concepts of congruence and similarity between lengths in similar figures H: Apply the concepts of congruence and similarity, including the relationships between areas and volumes in similar figures	enlargement (including fractional scale factors) Apply addition and subtraction of vectors, multiplication by vectors by a scalar, and diagrammatic and column representations of vectors. H: recognise, sketch and interpret graphs of linear functions, quadratic functions, simple cubic functions, the reciprocal function To be able to use Pythagoras Theorem to find the missing side in a right-angle triangle To be able to use trigonometry to find a missing side or angle in a right angle	H: Identify and apply circle definitions and properties, including tangent, arc, sector and segment. H: Recognise and use the equation of a circle with centre at the origin; find the equation of a tangent to a circle at a given point Recognise and construct the graph of a circle using x2 + y2 = r2 for radius r centred at the origin of coordinates. Apply and prove the standard circle theorems concerning angles, radii, tangents and chords, and use them to prove related results.		several seconds by finding the gradient of the chord; Interpret the gradient of a linear or non-linear graph in financial contexts. Interpret the area under a linear or non-linear graph in real-life contexts.
		between areas and volumes in similar figures	Theorem to find the missing side in a right-angle triangle To be able to use trigonometry to find a missing side or angle in a right angle triangle To know and apply the exact values of trigonometry H: know the formulae for: Pythagoras'	chords, and use them to prove related results.		



		Theorem a2 + b2		
		= c2 and the		
		trigonometric		
		ratios, sine,		
		cosine, and tan;		
		apply them to		
		find angles and		
		lengths in right-		
		angled triangles		
		three		
		dimensional		
		figuros		
		To bo able to use		
		trigonomotru to		
		find and as of		
		tind angles of		
		elevation and		
		depression		
		To understand		
		proof of how to		
		derive the exact		
		values for		
		trigonometry		
		Know and apply		
		the sine rule to		
		find unknown		
		sides and angles		
		Know and apply		
		the cosine rule to		
		find unknown		
		sides and angles		
		Know and apply		
		area = 1/2ab Sin		
		c to calculate the		
		area. sides. or		
		angles in any		
		triangle		
		"Recognise		
		sketch and		
		interpret graphs		
		of exponential		
		functions		
		y = kx for positivo		
		y - KX for positive		
		values of K, and		
		the		
		trigonometric		



		6		
		functions (with		
		arguments in		
		degrees) y = sin		
		x, $y = \cos x$ and y		
		= tan x for angles		
		of any size"		
		sketch		
		translations and		
		reflections of a		
		given function		
		and apply to the		
		graph of $y = f(x)$		
		the		
		transformations		
		v = -f(x), v = f(-x)		
		for sine, cosine		
		and tan functions		
		f(x)		
		"sketch		
		translations and		
		reflections of a		
		given function		
		and apply to the		
		and apply to the graph of $y = f(y)$		
		graph or y = r(x)		
		transformations		
		y = t(x) + a, y = t(x)		
		+ a)		
		for sine, cosine		
		and tan functions		
		f(x)."		



Students should	Students should	Students should	Students should	Students should	Students should be	Students should be	Students will have	Students should be
recognise	understand that a	be able to	be able to square	be able to	able to draw linear	able to simplify	used vectors to	able to draw linear
reflection	probability is a	interpret scales on	negative	recognise and	graphs.	surds.	describe	and quadratic
symmetry, be able	number between	a range of	numbers.	enlarge shapes	Students should be	Students should be	translations and will	graphs.
to identify and	0 and 1, and	measuring	Students should	and calculate	able to plot	able to use negative	have knowledge of	Students should be
draw lines of	distinguish	instruments.	be able to	scale factors.	coordinates and	numbers with all	Pythagoras'	able to calculate the
symmetry, and	between events	Students should	substitute into	Students should	sketch simple	four operations.	Theorem and the	gradient of a linear
complete	which are	be able to find a	formulae.	have knowledge	functions with a	Students should be	properties of	function between
diagrams with	impossible,	percentage of an	Students should	of how to	table of values.	able to recall and	triangles and	two points.
given number of	unlikely, even	amount and relate	be able to plot	calculate area	Students should be	use the hierarchy of	guadrilaterals.	Students should
lines of symmetry.	chance, likely, and	percentages to	points on a	and volume in	able to substitute	operations.	•	recall
Students should	certain to occur.	decimals.	coordinate grid.	various metric	into and solve	Students should be		transformations of
recognise rotation	Students should	Students should	Students should	measures.	equations.	able to draw linear		trigonometric
symmetry and be	be able to mark	be able to	be able to expand	Students should	Students should	and quadratic		functions.
able to identify	events and/or	rearrange	single brackets	be able to	have experience of	graphs.		Students should
orders of	probabilities on a	equations and use	and collect 'like'	measure lines	using formulae.	Students should be		have knowledge of
rotational	probability scale	these to solve	terms.	and angles, and	Students should	able to calculate		writing statements
symmetry, and	of 0 to 1.	problems.		use compasses,	recall and use the	the gradient of a		of direct proportion
complete	Students should	Students should	Students should	ruler and	hierarchy of	linear function		and forming an
diagrams with	know how to add	know speed =	be able to	protractor to	operations and use	between two		equation to find
given order of	and multiply	distance/time,	recognise and	construct	of inequality	points.		values
rotational	fractions and	density =	enlarge shapes	standard	symbols.	Students should		
symmetry.	decimals.	mass/volume	and calculate	constructions.		recall		
Students should	Students should		scale factors.		Students should	transformations of		
recall basic	have experience		Students should	Students should	have practical	trigonometric		
shapes.	of expressing one		have knowledge	be able to use	experience of	functions.		
Students should	number as a		of how to	axes and	drawing circles with	Students should		
be able to plot	fraction of		calculate area and	coordinates to	compasses.	have knowledge of		
points in all four	another number.		volume in various	specify points in	Students should	writing statements		
quadrants.			metric measures.	all four	recall the words,	of direct proportion		
Students should			Students should	quadrants.	centre, radius,	and forming an		
have an			be able to	Students should	diameter and	equation to find		
understanding of			measure lines and	be able to recall	circumference.	values		
the concept of			angles, and use	and apply	Students should			
rotation.			compasses, ruler	Pythagoras'	recall the			
Students should			and protractor to	Theorem and	relationship of the			
be able to draw			construct	trigonometric	gradient between			
and recognise			standard	ratios.	two perpendicular			
lines parallel to			constructions.	Students should	lines.			
axes and				be able to	Students should be			
y = x, y = -x.				substitute into	able to find the			
Students will have				formulae.	equation of the			
encountered the					straight line, given a			
terms clockwise					gradient and a			
					coordinate.			

Prior Knowledge



	and anticlockwise								
	previously.								
	, , ,								
	G12	P1	R10	Foundation unit	Foundation Unit	Foundation Unit	A4	G25	A13
	R12	P6	R10	A14	G24	N1	A4		A12
	G12	P2	R10	A11	G7	A3	A4		R16
	G13	N5	R11		R6	A5	A5		A13
				A4	R6	A5	A6		A13
	G24	P4	R13	A4			A7		A13
	G7	N5	R1	A11	R12	A6	A7		A15
	G7	P7	R11	A12	G5	A9	A7		R15
	G7	P1	R11	A14	G6	A19	A7		R15
ves	G7	P1	R7	A18	G17	A21	A7		R15
cti	67	P9			G19	R10	A20		R15
bje	G8	P9	R1		G7	R14	1120		R15
to	G13	P8	R13		G25				1110
len	R2	PS	R14	Higher I Init	Higher   Init	Higher I Init			
sm	62		1124	R6		G9			
ses	62	<b>D</b> 7		G5	620	05			
As	62	DQ		66	G20	A16			
SE	62	P G		G17	G21	A10 A16			
ğ	G15	15		G17	021	G10			
	G15 G15			015	C20	010			
	615			C10	020				
	07			015	A0 C22				
	C <sup>o</sup>				622				
					622				
	C10				412				
					A12				
					A13				
					A13				



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